

BSV execution model and concurrent rule scheduling

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<http://csg.csail.mit.edu/6.375>

L06-1

BSV Execution Model

Repeatedly:

- ◆ Select a rule to execute
- ◆ Compute the state updates
- ◆ Make the state updates

Highly non-deterministic;
User annotations
can be used in
rule selection

A legal behavior of a BSV program can be explained by observing the state updates obtained by applying only one rule at a time

One-rule-at-time semantics

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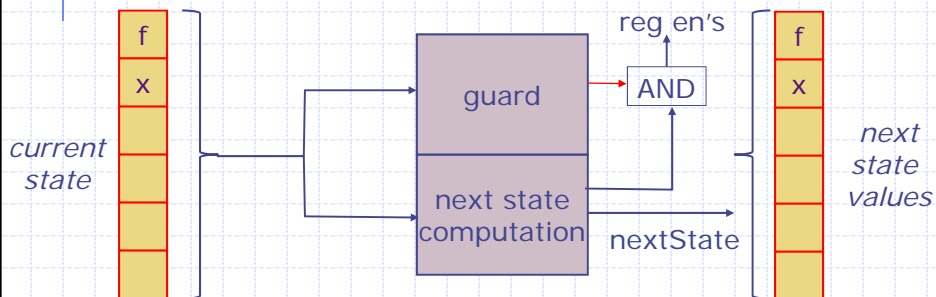
Concurrent scheduling of rules

- ◆ The **one-rule-at-a-time** semantics plays the central role in defining functional correctness and verification but for meaningful hardware design it is necessary to execute multiple rules concurrently without violating the **one-rule-at-a-time** semantics
- ◆ What do we mean by concurrent scheduling?
 - First - some hardware intuition
 - Second - semantics of rule execution
 - Third - semantics of concurrent scheduling

Hardware intuition for concurrent scheduling

BSV Rule Execution

- ◆ A BSV program consists of state elements and rules, aka, Guarded Atomic Actions (GAA) that operate on the state elements
- ◆ Application of a rule modifies some state elements of the system in a deterministic manner

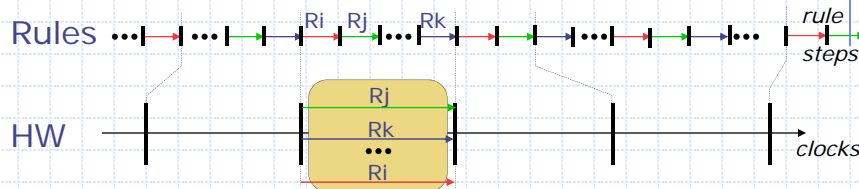


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some insight into Concurrent rule firing



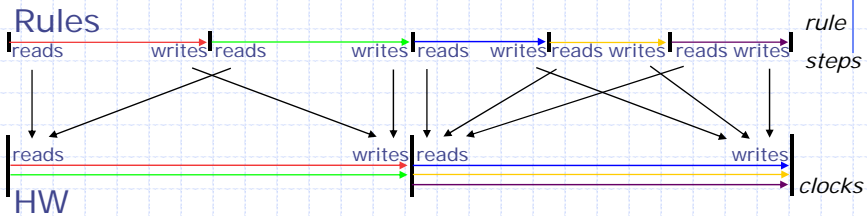
- ◆ There are more intermediate states in the rule semantics (a state after each rule step)
- ◆ In the HW, states change only at clock edges

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Parallel execution reorders reads and writes



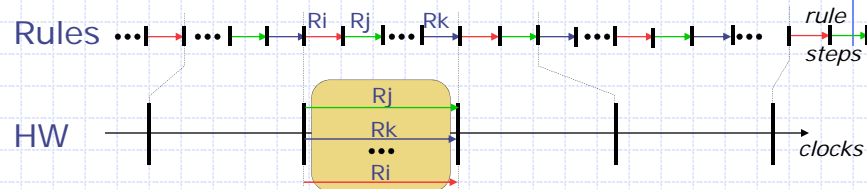
- ◆ In the rule semantics, each rule sees (reads) the effects (writes) of previous rules
- ◆ In the HW, rules only see the effects from previous clocks, and only affect subsequent clocks

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Correctness



- ◆ Rules are allowed to fire in parallel only if the net state change is equivalent to sequential rule execution
- ◆ Consequence: the HW can never reach a state unexpected in the rule semantics

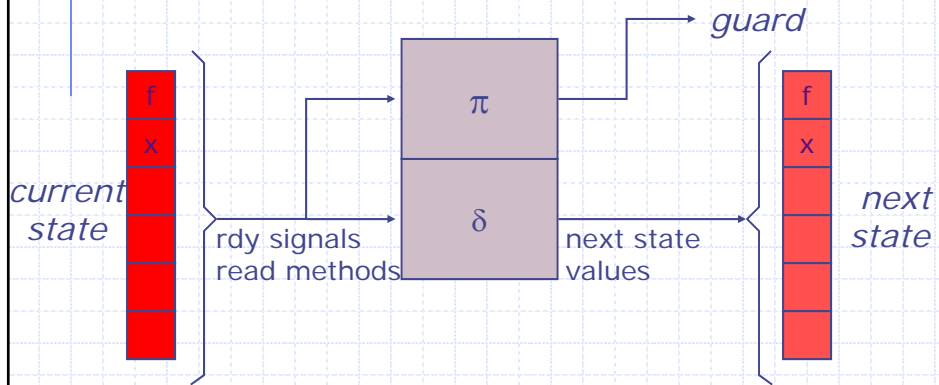
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Compiling a Rule

```
rule r (f.first() > 0) ;
    x <= x + 1 ; f.deq () ;
endrule
```

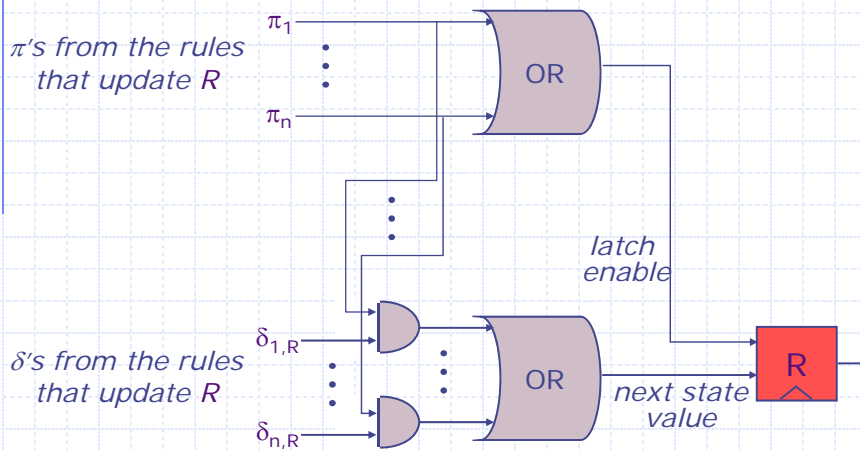


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Combining State Updates: *strawman*



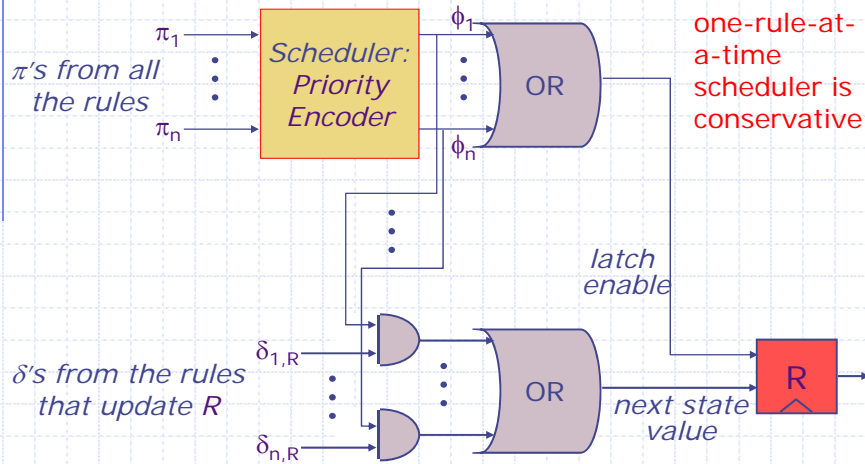
What if more than one rule is enabled?

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Combining State Updates



Scheduler ensures that at most one ϕ_i is true

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Concurrent scheduling

- ◆ The BSV compiler determines which rules among the rules whose guards are ready can be executed concurrently
- ◆ It then divides the rules into disjoint sets such that the rules within each set are conflict free
- ◆ Among conflicting sets of enabled rules it picks one set by some predetermined priority and this process is repeated until no rules are enabled

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A compiler test for concurrent rule firing

James Hoe, Ph.D., 2000

- ◆ Let $RS(r)$ be the set of registers rule r may read
- ◆ Let $WS(r)$ be the set of registers rule r may write
- ◆ Rules ra and rb are *conflict free* (CF) if

$$(RS(ra) \cap WS(rb) = \emptyset) \wedge (RS(rb) \cap WS(ra) = \emptyset) \wedge (WS(ra) \cap WS(rb) = \emptyset)$$
- ◆ Rules ra and rb are *sequentially composable* (SC) ($ra < rb$) if

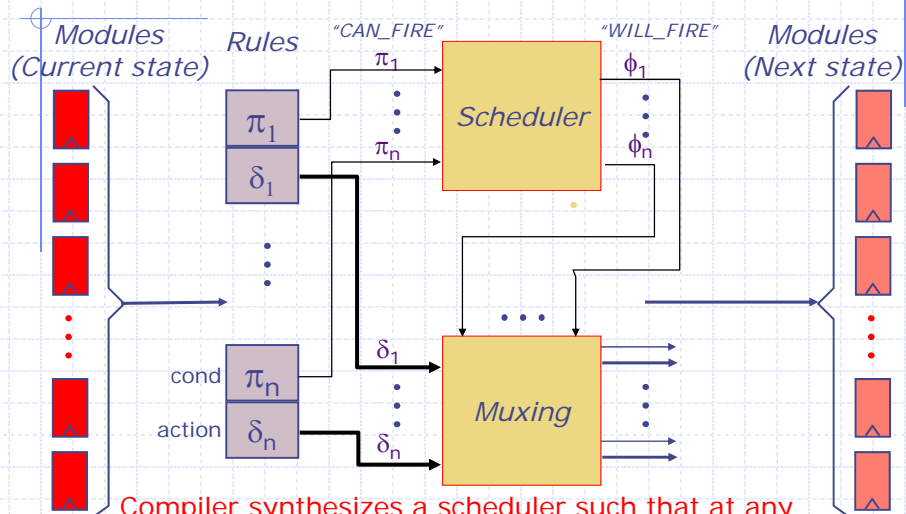
$$(RS(rb) \cap WS(ra) = \emptyset) \wedge (WS(ra) \cap WS(rb) = \emptyset)$$
- ◆ If Rules ra and rb *conflict* if they are not CF or SC

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Scheduling and control logic



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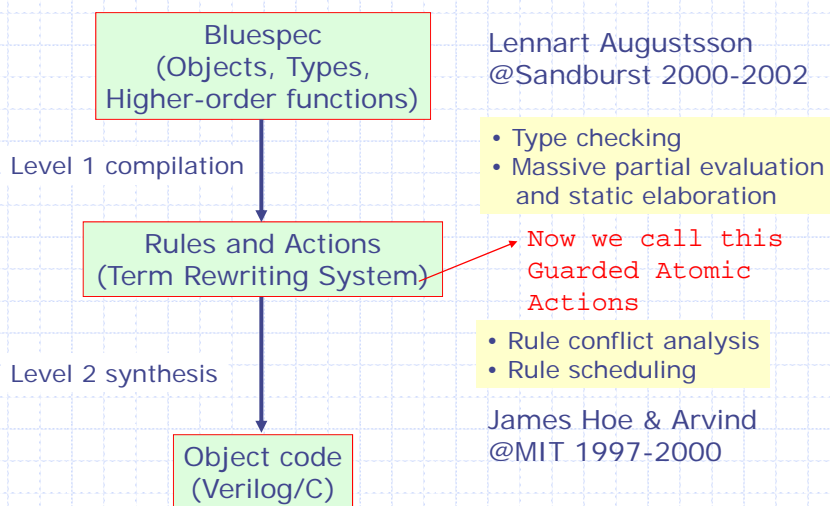
Bluespec semantics

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Bluespec: Two-Level Compilation



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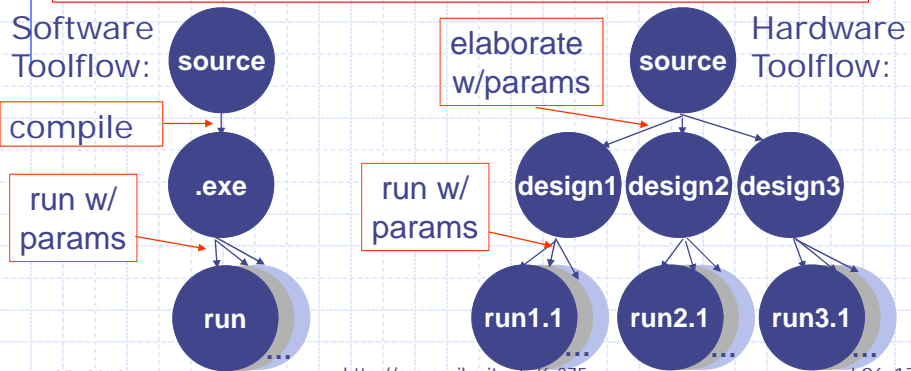
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Static Elaboration

At compile time

- Inline function calls and unroll loops
- Instantiate modules with specific parameters
- Resolve polymorphism/overloading, perform most data structure operations

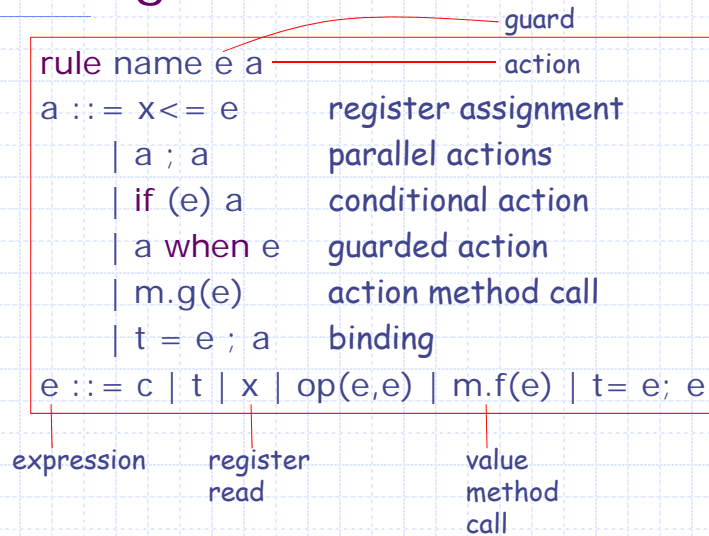


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The language after type checking and static elaboration



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Guard Lifting rules

◆ All the guards can be “lifted” to the top of a rule

- $(a1 \text{ when } p) ; a2 \Rightarrow (a1 ; a2) \text{ when } p$
- $a1 ; (a2 \text{ when } p) \Rightarrow (a1 ; a2) \text{ when } p$
- $\text{if } (p \text{ when } q) a \Rightarrow (\text{if } (p) a) \text{ when } q$
- $\text{if } (p) (a \text{ when } q) \Rightarrow (\text{if } (p) a) \text{ when } (q \mid !p)$
- $(a \text{ when } p1) \text{ when } p2 \Rightarrow a \text{ when } (p1 \ \& \ p2)$
- $x \leq (e \text{ when } p) \Rightarrow (x \leq e) \text{ when } p$
- $m.g_B(e \text{ when } p) \Rightarrow m.g_B(e) \text{ when } p$

similarly for expressions ...

- Rule $r (a \text{ when } p) \Rightarrow \text{Rule } r (\text{if } (p) a)$

We will give a procedure to evaluate rules after guard lifting

Rule evaluation

rule name $e \ a$

$a ::= x \leq e$ register assignment

| $a ; a$ parallel actions

| $\text{if } (e) a$ conditional action

| $m.g(e)$ action method call

| $t = e ; a$ binding

$e ::= c \mid t \mid x \mid \text{op}(e,e) \mid m.f(e) \mid t = e ; e$

$\text{evalA} :: (\text{Bindings}, \text{State}, a) \rightarrow (\text{Bindings}, \text{StateUpdates})$

$\text{evalE} :: (\text{Bindings}, \text{State}, e) \rightarrow \text{Value}$

variable
bindings

register
values

Action evaluator

no method calls

$\text{evalA} :: (\text{Bindings}, \text{State}, a) \rightarrow (\text{Bindings}, \text{StateUpdates})$

$\text{evalA}(\text{bs}, \text{s}, [[x \leftarrow e]]) = (\text{bs}, (x, \text{evalE}(\text{bs}, \text{s}, e)))$

$\text{evalA}(\text{bs}, \text{s}, [[a1 ; a2]]) =$

$\text{let } (\text{bs}', \text{u1}) = \text{evalA}(\text{bs}, \text{s}, a1)$

$(\text{bs}'', \text{u2}) = \text{evalA}(\text{bs}', \text{s}, a2)$

$\text{in } (\text{bs}'', \text{u1} + \text{u2})$

$\text{evalA}(\text{bs}, \text{s}, [[\text{if } (e) a]]) =$

$\text{if } \text{evalE}(\text{bs}, \text{s}, e) \text{ then } \text{evalA}(\text{bs}, \text{s}, a)$

$\text{else } (\text{bs}, \{\})$

$\text{evalA}(\text{bs}, \text{s}, [[t = e; a]]) =$

$\text{let } v = \text{evalE}(\text{bs}, \text{s}, e)$

$\text{in } \text{evalA}(\text{bs} + (t, v), \text{s}, a)$

merges two sets of updates; the rule is illegal if there are multiple updates for the same register

extends the bindings by including one for t

initially bs is empty and state contains old register values

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Expression evaluator

no method calls

$\text{evalE} :: (\text{Bindings}, \text{State}, \text{exp}) \rightarrow \text{Value}$

$\text{evalE}(\text{bs}, \text{s}, [[c]]) = c$

$\text{evalE}(\text{bs}, \text{s}, [[t]]) = \text{lookup}(\text{bs}, t)$

$\text{evalE}(\text{bs}, \text{s}, [[x]]) = \text{s}.x$

$\text{evalE}(\text{bs}, \text{s}, [[\text{op}(e1, e2)])] =$

$\text{op}(\text{evalE}(\text{bs}, \text{s}, e1), \text{evalE}(\text{bs}, \text{s}, e2))$

if t does not exist in bs then the rule is illegal

Method calls can be evaluated by substituting the body of the method call, i.e., $m.g(e)$ is $a[e/x]$ where the definition of $m.g$ is method $g(x) = a$

To apply a rule, we first evaluate its guard and then if the guard is true we compute the state updates and then simultaneously update all the state variables

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Legal BSV rules

- ◆ A legal BSV rule does not contain *multiple assignments* to the same state element or *combinational cycles*

- ◆ Examples: **legal?**

```
rule ra if (z>10);  
    x <= x+1; endrule  
rule rb;  
    x <= x+1; if (p) x <= 7 endrule  
rule rc;  
    x <= y+1; y <= x+2 endrule  
rule rd;  
    t1 = f(t2); t2 = g(t1); x <= t1; endrule
```

In general the legality of a rule can be determined only at run time.

Concurrent scheduling:

Semantic view

- ◆ Suppose rule ra a and rule rb b are legal rules and a and b are free of guards. ra and rb are concurrently schedulable, iff,
 1. rule rab (a;b) is legal
 2. for all s, (a;b)(s) = a(b(s)) or b(a(s))
- ◆ Theorm1: If rules ra and rb are *conflict free* (CF) then $\forall s, (a;b)(s) = a(b(s)) = b(a(s))$
- ◆ Theorm2: If rules ra and rb are *sequentially composable* (SC) (ra<rb) then $\forall s, (a;b)(s) = b(a(s))$

Example 1

```
rule ra if (z>10);  
  x <= x+1;  
endrule  
  
rule rb if (z>20);  
  y <= y+2;  
endrule
```



```
rule ra_rb;  
  if (z>10) x <= x+1;  
  if (z>20) y <= y+2;  
endrule
```

◆ $\{x_0, y_0, 30\} \Rightarrow_{ra} \{x_0+1, y_0, 30\} \Rightarrow_{rb} \{x_0+1, y_0+2, 30\}$
 $\{x_0, y_0, 30\} \Rightarrow_{rb} \{x_0, y_0+2, 30\} \Rightarrow_{ra} \{x_0+1, y_0+2, 30\}$
 $\{x_0, y_0, 30\} \Rightarrow_{ra_rb} \{x_0+1, y_0+2, 30\}$

◆ $\{x_0, y_0, 15\} \Rightarrow_{ra} \{x_0+1, y_0, 15\} \Rightarrow_{rb} \{x_0+1, y_0, 15\}$
 $\{x_0, y_0, 15\} \Rightarrow_{rb} \{x_0, y_0, 15\} \Rightarrow_{ra} \{x_0+1, y_0, 15\}$
 $\{x_0, y_0, 15\} \Rightarrow_{ra_rb} \{x_0+1, y_0, 15\}$

Example 2

```
rule ra if (z>10);  
  x <= y+1;  
endrule  
  
rule rb if (z>20);  
  y <= x+2;  
endrule
```



```
rule ra_rb;  
  if (z>10) x <= y+1;  
  if (z>20) y <= x+2;  
endrule
```

◆ $\{x_0, y_0, 30\} \Rightarrow_{ra} \{y_0+1, y_0, 30\} \Rightarrow_{rb} \{y_0+1, y_0+1+2, 30\}$
 $\{x_0, y_0, 30\} \Rightarrow_{rb} \{x_0, x_0+2, 30\} \Rightarrow_{ra} \{x_0+2+1, x_0+2, 30\}$
 $\{x_0, y_0, 30\} \Rightarrow_{ra_rb} \{y_0+1, x_0+2, 30\}$

Example 3

```
rule ra if (z>10);  
  x <= y+1;  
endrule  
  
rule rb if (z>20);  
  y <= y+2;  
endrule
```



```
rule ra_rb;  
  if (z>10) x <= y+1;  
  if (z>20) y <= y+2;  
endrule
```

◆ $\{x_0, y_0, 30\} \Rightarrow_{ra} \{y_0+1, y_0, 30\} \Rightarrow_{rb} \{y_0+1, y_0+2, 30\}$
 $\{x_0, y_0, 30\} \Rightarrow_{rb} \{x_0, y_0+2, 30\} \Rightarrow_{ra} \{y_0+2+1, y_0+2, 30\}$
 $\{x_0, y_0, 30\} \Rightarrow_{ra_rb} \{y_0+1, y_0+2, 30\}$

Example 4

```
rule ra;  
  x <= y+1; u <= u+2;  
endrule  
  
rule rb;  
  y <= y+2; v <= u+1;  
endrule
```



```
rule ra_rb;  
  x <= y+1; u <=u+2;  
  y <= y+2; v <=u+1;  
endrule
```