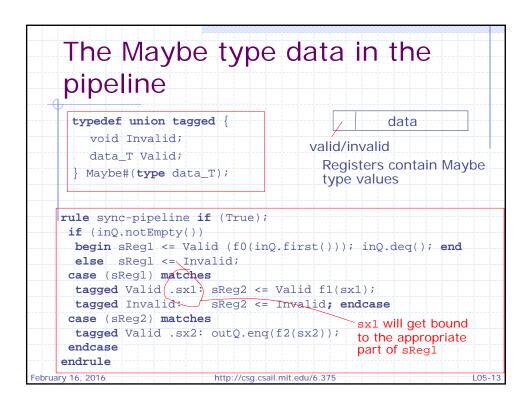
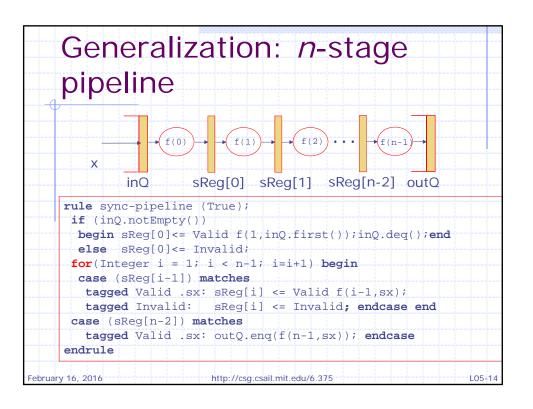


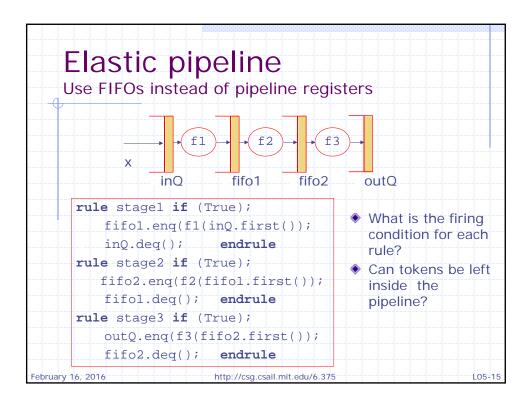
The Maybe type A useful type to capture v	
<pre>typedef union tagged { void Invalid; data_T Valid; } Maybe#(type data_T);</pre>	valid/invalid Registers contain Maybe type values
Some useful functions on May isValid(x) returns true if fromMaybe(d,x) returns the data value in the default value	x is Valid
February 16, 2016 http://csg.csa	iil.mit.edu/6.375 L05-10

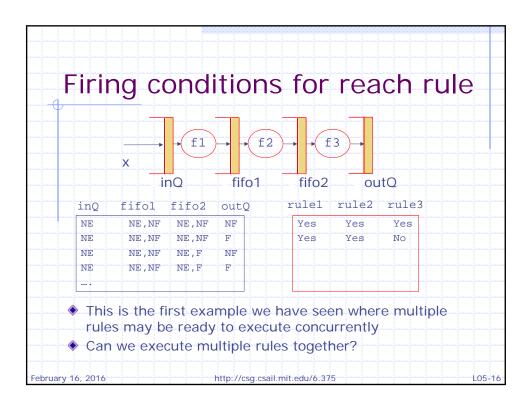
```
Using the Maybe type
     typedef union tagged {
                                                   data
        void Invalid;
                                        valid/invalid
        data_T Valid;
                                          Registers contain Maybe
      } Maybe#(type data T);
                                          type values
     rule sync-pipeline if (True);
      if (inQ.notEmpty())
      begin sReg1 <= Valid f0(inQ.first()); inQ.deq(); end</pre>
       else sReg1 <= Invalid;
       sReg2 <= isValid(sReg1)? Valid f1(fromMaybe(d, sReg1)) :</pre>
                                 Invalid;
      if isValid(sReg2) outQ.enq(f2(fromMaybe(d, sReg2)));
     endrule
February 16, 2016
                          http://csg.csail.mit.edu/6.375
```

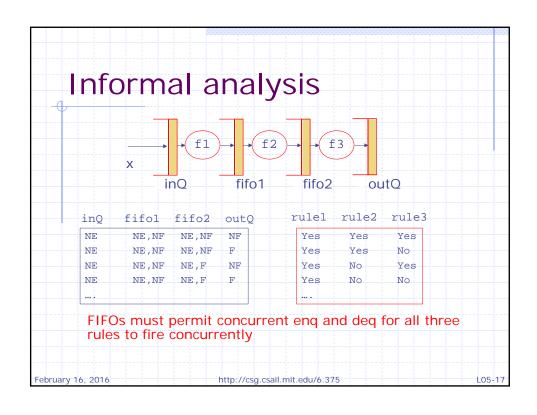
```
Pattern-matching: An alternative
   syntax to extract datastructure components
     typedef union tagged {
       void Invalid;
        data T
                    Valid;
     } Maybe#(type data_T);
     case (m) matches
                                          x will get bound
        tagged Invalid : return 0;
                                          to the appropriate
        tagged Valid .x : return x;
                                          part of m
     endcase
     if (m matches (Valid .x) &&& (x > 10))
     The &&& is a conjunction, and allows pattern-variables
       to come into scope from left to right
February 16, 2016
                      http://csg.csail.mit.edu/6.375
```

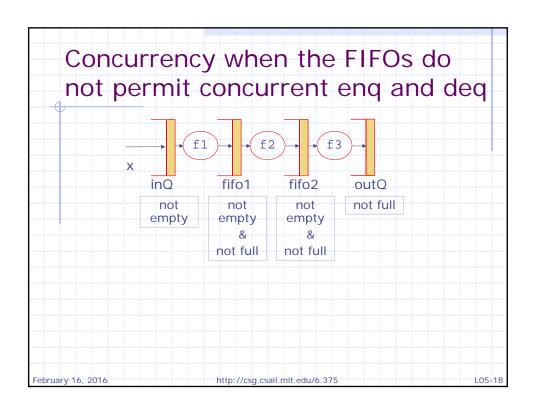




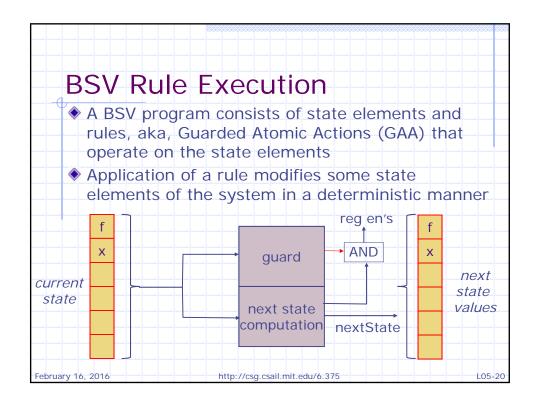




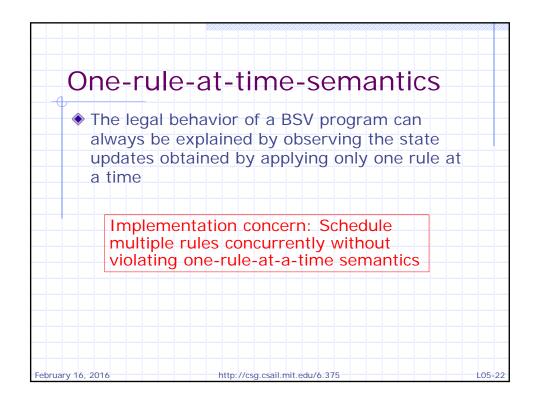




Pipelined designs expressed using Multiple rules If rules for different pipeline stages never fire in the same cycle then the design can hardly be called a pipelined design If all the enabled rules fire in parallel every cycle then, in general, wrong results can be produced We need a clean model for concurrent firing of rules February 16, 2016 http://csg.csall.mit.edu/6.375 L05-19



Repeatedly: Select a rule to execute Compute the state updates Make the state updates	Highly non- deterministic User annotations can help in rule selection
--	--



Role of guards in rule scheduling

- For concurrent scheduling of rules, we need to consider only those rules which can be concurrently enabled, i.e., whose guards can be true simultaneously
- In order to understand when a rule can be enabled, we need to understand precisely how implicit guards are lifted to form the rule guard

==> Guard lifting procedure

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```
Making guards explicit

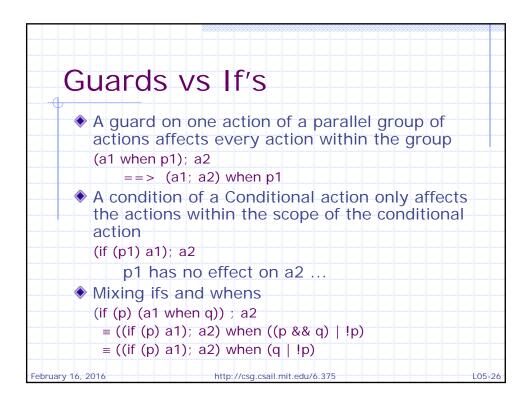
rule foo if (True);
if (p) fifo.enq(8);
r <= 7;
endrule

rule foo if (p
if (p) fifo.enq(8);
r <= 7;
endrule

Effectively, all implicit conditions (guards) are lifted and conjoined to the rule guard

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```

```
Implicit guards (conditions)
    rule <name> if (<guard>); <action>; endrule
     <action> ::= r <= <exp>
                    if (<exp>) <action>
                     <action> ; <action>
     make implicit
     quards explicit
                    m.g(<exp>)
                                        m.g_{B}(\langle exp \rangle) when m.g_{G}
                      t = \langle exp \rangle
     <action> ::= r <= <exp>
                     if (<exp>) <action>
                      <action> when (<exp>)
                      <action> ; <action>
                      m.q_p(\langle exp \rangle)
                      t = \langle exp \rangle
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```



Guard Lifting rules		
◆ All the guards can be "lifted" to the top of a rule		
■ (a1 when p); a2 ⇒		
■ a1; (a2 when p) ⇒		
if (p when q) a ⇒if (p) (a when q) ⇒		
■ (a when p1) when p2 ⇒		
■ x <= (e when p) ⇒		
similarly for expressions		
■ Rule r (a when p) ⇒		
ebruary 16, 2016 http://csq.csail.mit.edu/6.375 L05-27		

