# 6.823 Computer System Architecture Module #1 Solutions (I) (Problems M1.1 – M1.9)

*Last Updated:* 9/12/2009

http:/csg.csail.mit.edu/6.823/

## Problem M1.1: Self Modifying Code on the EDSACjr

### **Problem M1.1.A**

## **Writing Macros For Indirection**

One way to implement ADDind n is as follows:

```
.macro ADDind(n)
                   orig accum ; Save original accum
      STORE
      CLEAR
                                ; accum <- 0
      ADD
                                  accum <- M[n]
                   _add_op
      ADD
                                  accum <- ADD M[n]
                                ; M[\_L1] \leftarrow ADD M[n]
      STORE
                   _{
m L}
      CLEAR
                                ; accum <- 0
                                ; This will be replaced by
L1:
      CLEAR
                                ; ADD M[n] and will have
                                ; the effect: accum <- M[M[n]]
                   orig accum ; accum <- M[M[n]] + original accum
      ADD
.end macro
```

The first thing we do is save the original accumulator value. This is necessary since the instructions we are going to use within the macro are going to destroy the value in the accumulator. Next, we load the contents of M[n] into the accumulator. We assume that M[n] is a legal address and fits in 11 bits.

After getting the value of M[n] into the accumulator, we add it to the ADD template at \_add\_op. Since the template has 0 for its operand, the resulting number will have the ADD opcode with the value of M[n] in the operand field, and thus will be equivalently an ADD M[n]. By storing the contents of the accumulator into the address \_L1, we replace the CLEAR with what is equivalently an ADD M[n] instruction. Then we clear the accumulator so that when the instruction at \_L1 is executed, accum will get M[M[n]]. Finally, we add the original accumulator value to get the desired result, M[M[n]] plus the original content of the accumulator.

STORE ind n can be implemented in a very similar manner.

```
.macro STOREind(n)
      STORE
                   _orig_accum ; Save original accum
      CLEAR
                                ; accum <- 0
      ADD
                                ; accum < - M[n]
                   n
      ADD
                   _store_op
                                ; accum <- STORE M[n]</pre>
      STORE
                                ; M[_L1] <- STORE M[n]
                   _L1
      CLEAR
                                ; accum <- 0
                   _orig_accum ; accum <- original accum
      ADD
                                ; This will be replaced by
L1:
      CLEAR
                                ; STORE M[n], and will have the
                                ; effect: M[M[n]]<- orig. accum</pre>
.end macro
```

After getting the value of M[n] into the accumulator, we add it to the STORE template at  $\_store\_op$ . Since the template has 0 for its operand, the resulting number will have the STORE opcode with the value of M[n] in the

operand field, and thus will be equivalently a STORE M[n] instruction. As before, we store this into \_L1 and then restore the accumulator value to its original value. When the PC reaches \_L1, it then stores the original value of the accumulator into M[M[n]].

BGEind and BLTind are very similar to STOREind. BGEind is shown below. BLTind is the same except that we use blt\_op instead of bge\_op.

```
.macro BGEind(n)
      STORE
                   orig accum ; Save original accum
      CLEAR
                                ; accum <- 0
      ADD
                                ; accum <- M[n]
                   n
      ADD
                   _bge_op
                                ; acuum <- BGE M[n]</pre>
      STORE
                   _{
m L}1
                                ; M[_L1] <- BGE M[n]
                                ; accum <- 0
      CLEAR
                   _orig_accum ; accum <- original accum
      ADD
      CLEAR
                                ; This is replaced by BGE M[n]
L1:
.end macro
```

#### Problem M1.1.B

#### **Subroutine Calling Conventions**

We implement the following contract between the caller and the callee:

- 1. The caller places the argument in the address slot between the function-calling jump instruction and the return address. Just before jumping to the subroutine, the caller loads the return address into the accumulator.
- 2. In the beginning of a subroutine, the callee receives the return address in the accumulator. The argument can be accessed by reading the memory location preceding the return address. The code below shows pass-by-value as we create a local copy of the argument. Since the subroutine receives the address of the argument, it's easy to eliminate the dereferencing and deal only with the address in a pass-by-reference manner.
- 3. When the computation is done, the callee puts the return value in the accumulator and then jumps to the return address.

A call looks like

```
; preceding code sequence
             . . . . . .
             clear
                                       ; accum <- 3
             add
                          THREE
                          here
                                       ; skip over pointer
             bge
                          _here
_hereptr
             .fill
                                       ; hereptr = &here
_here
                          _hereptr
                                       ; accum <- here+3 = return addr</pre>
             add
                                       ; jump to subroutine
            bge
                          _sub
                                       ; The following address location is
                                       ; reserved for argument passing and
                                       ; should never be executed as code:
             .fill 6
                                       ; argument slot
_argument
                                       ; rest of program
             . . . . . .
```

(note that without an explicit program counter, a little work is required to establish the return address).

The subroutine begins:

```
_sub store _return ; save the return address
sub _ONE ; accum <- &argument = return address-1
store _arg ; M[_arg] <- &argument = return address-1
```

```
clear
ADDind _arg ; accum <- *(&arg0)
store _arg ; M[_arg] <- arg</pre>
```

And ends (with the return value in the accumulator):

```
BGEind _return
```

The subroutine uses some local storage:

```
_arg clear ; local copy of argument 
_return clear ; reserved for return address
```

We need the following global constants:

```
_ONE or 1 ; recall that OR's opcode is 00000 
_THREE or 3 ; so positive constants are easy to form
```

The following program uses this convention to compute fib(n) as specified in the problem set. It uses the indirection macros, templates, and storage from part M1.1.A.

```
;; The Caller Code Section
                                     ; preceding code sequence
_caller
            clear
                         _THREE
                                     ; accum <- 3
            add
                        _here
            bge
_hereptr
                        _here
            .fill
here
            add
                        hereptr
                                     ; accum <- here+3 = return addr</pre>
            bge
                        _fib
                                     ; jump to subroutine
;; The following address location is reserved for
;; argument passing and should never be executed as code
            .fill
                         4
                                     ; arg 0 slot. N=4 in this example
arg0
            end
_rtpnt
;; The fib Subroutine Code Section
; function call prelude
_fib
            store
                        _return
                                     ; save the return address
            sub
                        _ONE
            store
                        _n
                                     ; M[_n] <- &arg0 = return address-1</pre>
            clear
            ADDind
                         _n
                                     ; accum <- *(&arg0)
                        _n
            store
                                     ; M[_n] <- arg0
; fib body
            clear
            store
                                     x=0
                         _x
            add
                         _ONE
            store
                                     y=1
                         _У
            clear
                                     ; if(n<2)
            add
                         n
            sub
                         TWO
            blt
                         retn
            clear
                         _i
                                     ; for (i = 0;
            store
```

```
_forloop
             clear
                                        i < n-1;
                          _n
             add
                          _ONE
             sub
             sub
                          _i
             sub
                          ONE
             blt
                          _done
             clear
_compute
             add
                          _x
             add
                          _У
             store
                                        z = x+y
                          _z
             clear
             add
                          _У
             store
                                        x = y
                          _x
             clear
             add
                           _{\mathsf{Z}}
             store
                                        ; y = z
                          _У
             clear
                                        ; i++)
_next
             add
                          _i
             add
                          ONE
             store
                          _i
             bge
                          _forloop
             clear
_retn
             add
                   _n
             BGEind
                          return
                                        ; return n
_done
             clear
             add
                          _z
             BGEind
                          _return
                                        ; return z
;; Global constants (remember that OR's opcode is 00000)
_ONE
             or 1
             or 2
_TWO
_THREE
             or 3
_FOUR
             or 4
These memory locations are private to the subroutine
_return
                          ; return address
             clear
                          ; n
_n
             clear
_x
             clear
             clear
_У
             clear
_z
_i
             clear
                          ; index
             clear
                          ; fib
_result
```

Now we can see how powerful this indirection addressing mode is! It makes programming much simpler.

The 1 argument-1 result convention could be extended to variable number of arguments and results by

- 1. Leaving as many argument slots in the caller code between the subroutine call instruction and the return address. This works as long as both the caller and callee agree on how many arguments are being passed.
- 2. Multiple results can be returned as a pointer to a vector (or a list) of the results. This implies an indirection, and so, yet another chance for self-modifying code.

The subroutine calling convention implemented in Problem M1.1.B stores the return address in a fixed memory location (\_return). When fib\_recursive is first called, the return address is stored there. However, this original return address will be overwritten when fib\_recursive makes its first recursive call. Therefore, your program can never return to the original caller!